## TOC-Assignment \# 2 (Topics: Pumping Lemma, M-N theorem.)

1. Use pumping lemma to show that following languages are not regular:
(a) $\left\{w w^{R} \mid w \in\{a+b\}^{*}\right\}$
(b) $\left\{w \bar{w} \mid w \in\{a+b\}^{*}\right\}$
(c) $\left\{a^{n!} \mid n \geq 1\right\}$
2. Prove that, if words in finite number are added into a regular language, the languages still remain regular
3. Make use of Myhill-Nerode theorem to prove that following language:
(a) $L^{R}=\left\{w^{R} \mid w \in L\right\}$ is regular,
(b) $L=\left\{a^{i} \mid i\right.$ is perfect square $\}$ is not regular.
4. Find out the equivalence classes and index of following language: $L=$ $\Sigma^{*} 0 \Sigma$.

Note: (1) Submission deadline Sept. 27, 2015 as softcopy online by email till 11:59PM, to kr.chowdhary@iitj.ac.in, with subject as TOC-Rollno. (2) The document should be in pdf form, preferably edited in latex or word and converted to pdf.

